



Investigating Reflections

In this activity, you will use patty paper to search for specific patterns on the coordinate plane.

Let's investigate reflecting across the x-axis.

➤ Place a sheet of patty paper over the coordinate plane and trace the axes.

1 For each ordered pair,

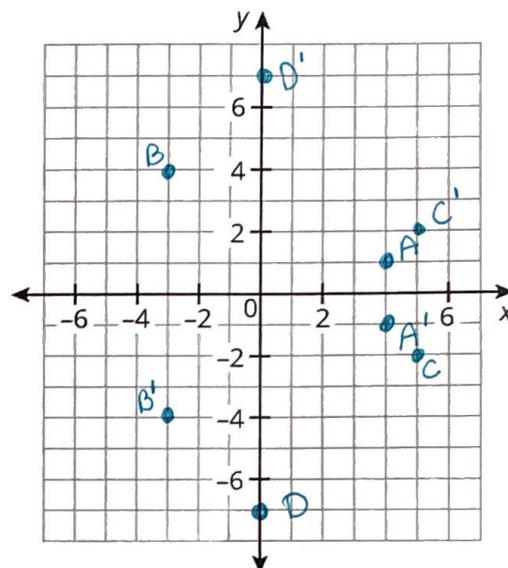
- Plot and label the point on patty paper.
- Fold the patty paper on the x-axis.
- Trace the point through the patty paper.
- Label the coordinates of the new point.

a) $A(4, 1)$ $A'(4, -1)$

b) $B(-3, 4)$ $B'(-3, -4)$

c) $C(5, -2)$ $C'(5, 2)$

d) $D(0, -7)$ $D'(0, 7)$



DID YOU KNOW?

A' is read "A prime."

2 What did you notice about the coordinates of the original points and their reflections? Write a generalization for the relationship between the coordinates of a point and its reflection across the x-axis.

The x coordinate stays the same but the y coordinate is its opposite in the reflected point
 → you are moving up & down (y ^{coordinate} ~~axis~~ changes) not right or left

$$A(x, y) \rightarrow A'(x, -y)$$

Now let's investigate reflecting across the y-axis.

➤ Place a new sheet of patty paper over the coordinate plane and trace the axes.

3 For each ordered pair,

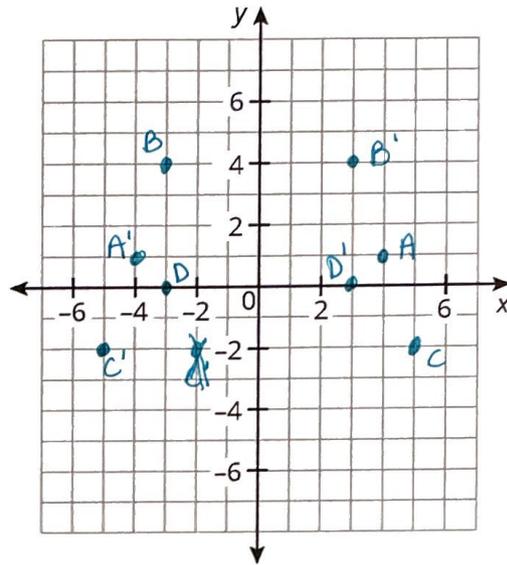
- Plot and label the point on patty paper.
- Fold the patty paper on the y-axis.
- Trace the point through the patty paper.
- Label the coordinates of the new point.

a) $A(4, 1)$ $A'(-4, 1)$

b) $B(-3, 4)$ $B'(3, 4)$

c) $C(5, -2)$ $C'(-5, -2)$

d) $D(-3, 0)$ $D'(3, 0)$



4 What did you notice about the coordinates of the original points and their reflections? Write a generalization for the relationship between the coordinates of a point and its reflection across the y-axis.

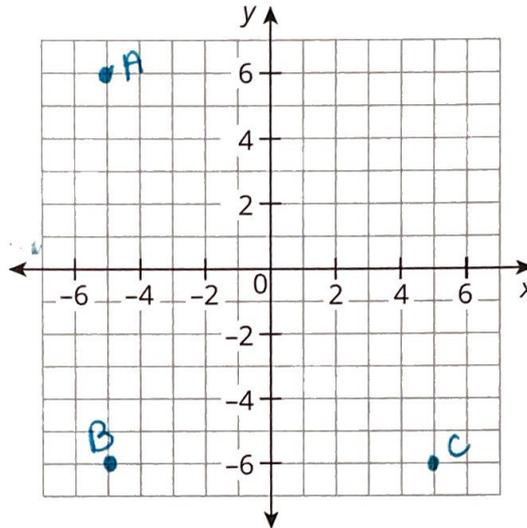
The y coordinate stays the same but the x coordinate is its opposite. in the reflected points

* you are moving side to side (x coordinate changes) not up or down

$$A(x, y) \rightarrow A'(-x, y)$$



- > Your teacher is going to select students to plot ordered pairs that meet specific conditions. The students will select locations that satisfy those conditions.
- 5 Plot and label the point where each student is standing on the coordinate plane. Then record the coordinates of that point in the table.



Student	Condition	Location
A	Quadrant II	$(-5, 6)$
B	Reflection of A across the x-axis	$(-5, -6)$
C	Reflection of B across the y-axis	$(5, -6)$

- 6 Compare the ordered pairs for A and C. What do you notice about their coordinates? Write a generalization for the relationship between the coordinates of a point and its reflection across both axes.

The x & y coordinates are both opposites

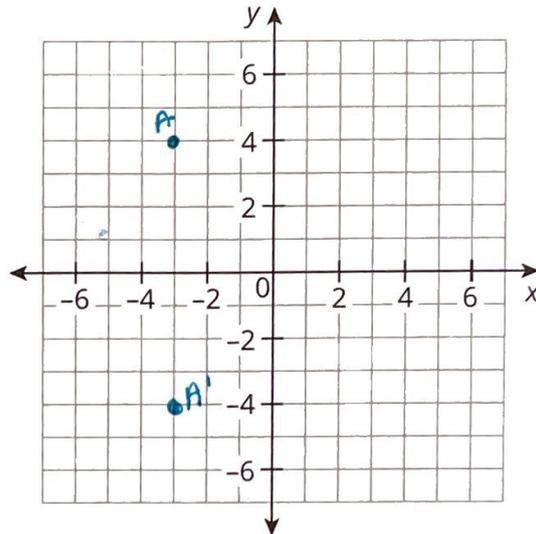
$$A(x, y) \rightarrow A'(-x, -y)$$



7 For each pair of conditions, plot and label two points. Record the coordinates of the points.

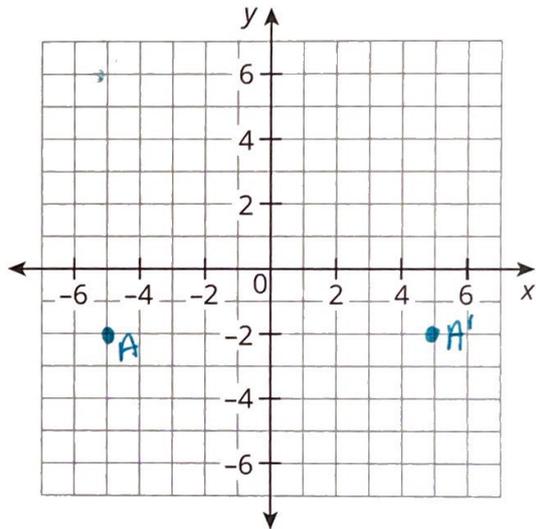
- a One point is in Quadrant II.
The two points are reflections of each other across the x-axis.

$$A(-3, 4)$$
$$A'(-3, -4)$$



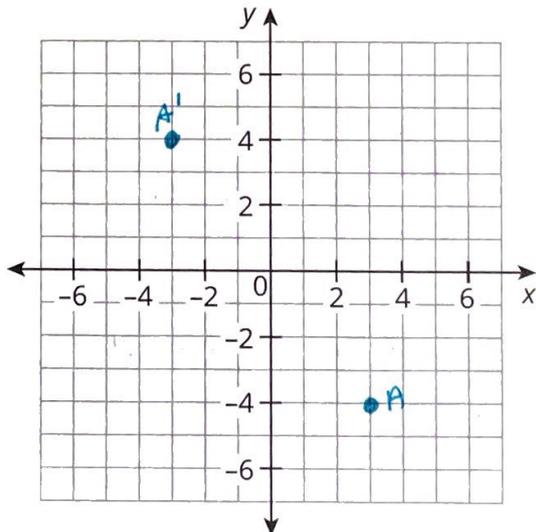
- b One point is in Quadrant III.
The points are reflections of each other across the y-axis.

$$A(-5, -2)$$
$$A'(5, -2)$$



- c One point is in Quadrant IV.
The points are reflections of each other across both axes.

$$A(3, -4)$$
$$A'(-3, 4)$$



8 In general, how are points that are reflections across one or both axes similar to and different from each other?

The contain the same numbers the signs are just different.