

P 593

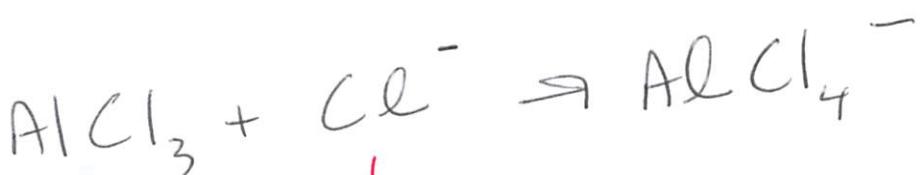
that's the pair of electrons it donates.



Lewis acid  
because it can accept a pair of electrons

Lewis base  
because it can donate a pair of electrons

(1)  
b)



Lewis acid  
because it can accept a pair of electrons

Lewis base  
because it can donate a pair of electrons

(2)

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(2)

Is it a Lewis  
acid or base?

Phosphorus -  $5 e^-$   
 Cl -  $\frac{1 e^- \text{ each}}{8 e^-}$



$\Rightarrow \text{PCl}_3$  has  
a non-bonding  
(unshared) pair of  
electrons which it  
could donate so  
it would likely  
be a Lewis Base



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(3)

### Properties of Acids / Bases

Both are electrolytes and change the color of an acid-base indicator

Acids taste sour

Bases taste bitter.

(4) Arrhenius Definition

An acid gives  $H^+$ 's

A base gives  $OH^-$ 's

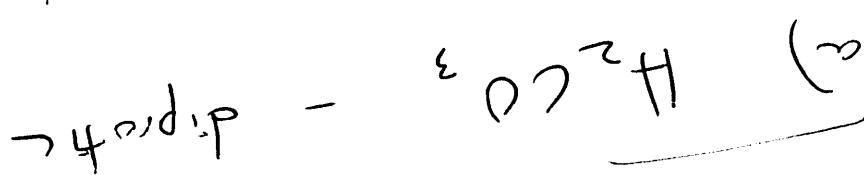
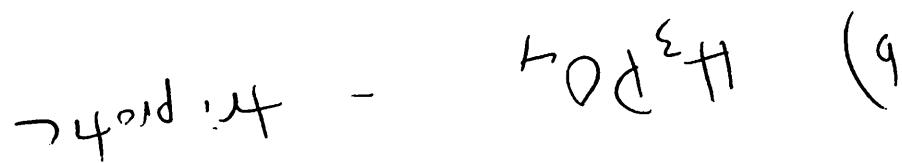
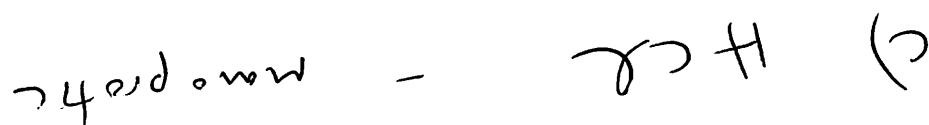
(5) Bronsted-Lowry definition

Acids are  $H^+$  donors

Bases are  $H^+$  acceptors

NOTICE: it eliminates  $OH^-$ 's from consideration to expand the definition

+ H<sub>2</sub>O → H<sub>2</sub>O<sub>2</sub> - i.e. H<sub>2</sub>O<sub>2</sub> is a proton acceptor



⑧

see example conjugate acid-base pairs

Lewis base is electron-pair donor

Lewis acid is electron-pair acceptor

Lewis definition (most expansive definition)

⑨

LSB

⑩

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\* JUST ASKING WHETHER  
ACID or BASE  
\* NO CALCULATIONS NECESSARY

9 a)  $[H^+] = 6.0 \times 10^{-10} M$   
 $-(-10) = \sim 10 = \boxed{\text{BASIC}}$

9 b)  $[OH^-] = 3.0 \times 10^{-2} M$   
 $\text{so } pOH = \sim 2$   
 $\text{so } pH = \sim 12 = \boxed{\text{BASIC}}$

9 c)  $[H^+] = 2.0 \times 10^{-7} M$   
 $-(-7) = \sim 7 = \boxed{\text{neutral}}$

BUT → SIGNIFICANT IS NOT 1.0 SO  
IT'S ACTUALLY GOING TO BE A  
LITTLE LESS THAN 7

☺ maybe I should use a calculator  
just to be sure !!

$$(2.0 \times 10^{-7}) \log_{10} =$$

-6.7 SO

$$-(-6.7) = \boxed{6.7 = \text{ACIDIC}}$$

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$$(9) d) [\text{OH}^-] = 1.0 \times 10^{-7} \text{ M}$$

$$-(-7) = 7 = \text{pOH}$$

$$\boxed{\text{pH} + \text{pOH} = 14}$$

$$\text{pH} + 7 = 14$$

$$\boxed{\text{pH} = 7}$$

$$(10) [\text{OH}^-] = 1 \times 10^{-3} \text{ M}$$

$$\text{so } \text{pOH} = 3$$

$$\text{pH} + \text{pOH} = 14$$

$$\text{pH} + 3 = 14$$

$$\boxed{\text{pH} = 11} \quad \text{if } \text{pH} = 11$$

then  $[\text{H}^+] = \boxed{1 \times 10^{-11} \text{ M}} = \text{Basic}$

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$$(11) \quad [H^+] = 1 \times 10^{-4} M$$

$$pH = -\log [H^+]$$

$$= -\log(1 \times 10^{-4}) = \boxed{4.0} = pH$$

$$= -(-4) = \rightarrow$$

$$(11b) \quad [H^+] = 0.0015 M$$

NOTE - you do not need parenthesis

$$pH = -\log [H^+]$$

$$= -\log(0.0015)$$

$$= -(-2.82) = \boxed{2.82} = pH$$

$$(12a) \quad [H^+] = \underline{1.0} \times 10^{-12} M$$

it is  $pH=12$   
but lets do it!

$$pH = -\log [H^+]$$

$$= -\log(1.0 \times 10^{-12})$$

$$= -(-12) = \boxed{12}$$

PS99

(12b)  $[H^+] = 0.045 \text{ M}$

$$\begin{aligned} pH &= -\log [H^+] \\ &= -\log (0.045) \\ &= -(-1.35) = \boxed{1.35} = pH \end{aligned}$$

calculator

$$0.045 \quad \boxed{\log_{10}}$$

p 6.00

Now we need

$$\boxed{10^x}$$



13a

What is  $[H^+]$  when given pH

$$\text{pH} = 5.00 \quad \text{so}$$

$$-\log [H^+] = 5.00 \quad \text{so}$$

$$\log [H^+] = -5.00$$

$$-5.00 \quad \boxed{10^x} \rightarrow 0.00001 \text{ M}$$

*Move the sign!*

Equals  $\downarrow$

$$\boxed{1.0 \times 10^{-5} \text{ M}}$$

So we could have done that by sight BUT it proves the concept 😊

(9)

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$$(13b) \quad pH = 12.83$$

$$-\log[H^+] = 12.83$$

$$Q -\log[H^+] = -12.83$$

$$\log[H^+] = -12.83$$

$$\text{on calc} \Rightarrow -12.83 [10^y] \rightarrow$$

$$0.000000000000000148 M =$$

$$1.5 \times 10^{-13} M$$

PLAY WITH  
YOUR CALC  
TO SEE IF YOU  
CAN GET IT  
DIRECTLY INTO  
SCIENTIFIC NOTATION

(14a)

TRICK QUESTION ALERT

$$-\log[H^+] = 4.00 \quad \text{so} \dots$$

$$\text{cut to the chase} \quad 1.0 \times 10^{-4} M$$

ALWAYS  
BE ON  
LOOK OUT  
FOR pH OR  
pOH AND  
HYDROGEN ION  
CONCENTRATION  
OR  
HYDROXIDE  
CONCENTRATION

$$(14b) \quad -\log[H^+] = 11.55$$

$$\log[H^+] = -11.55$$

$$= 0.0000000000002818 M \quad \text{or}$$

$$2.8 \times 10^{-12} M$$